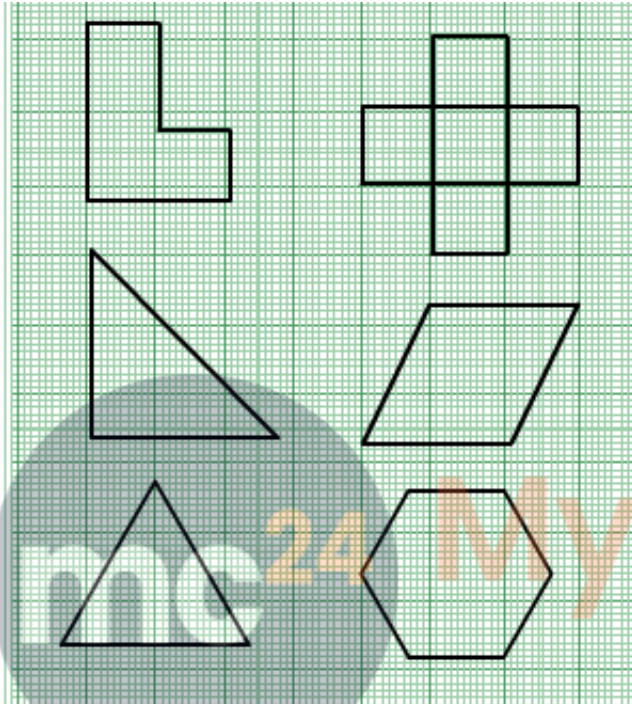


Exercise 20.3

Question: 1

The following figures are drawn on a squared paper. Count the number of squares enclosed by each figure and find its area, taking the area of each square as 1 cm^2 .



Solution:

(i) There are 16 complete squares in the given shape.

Since, Area of one square = 1 cm^2

Therefore, Area of this shape = $16 \times 1 = 16 \text{ cm}^2$

(ii) There are 36 complete squares in the given shape.

Since, Area of one square = 1 cm^2

Therefore, Area of 36 squares = $36 \times 1 = 36 \text{ cm}^2$

(iii) There are 15 complete and 6 half squares in the given shape.

Since, Area of one square = 1 cm^2

Therefore, Area of this shape = $(15 + 6 \times \frac{1}{2}) = 18 \text{ cm}^2$

(iv) There are 20 complete and 8 half squares in the given shape.

Since, Area of one square = 1 cm^2

Therefore, Area of this shape = $(20 + 8 \times 12) = 24 \text{ cm}^2$

(v) There are 13 complete squares, 8 more than half squares and 7 less than half squares in the given shape.

Area of one square = 1 cm^2

Area of this shape = $(13 + 8 \times 1) = 21 \text{ cm}^2$

(vi) There are 8 complete squares, 6 more than half squares and 4 less than half squares in the given shape.

Area of one square = 1 cm^2

Area of this shape = $(8 + 6 \times 1) = 14 \text{ cm}^2$

Question: 2

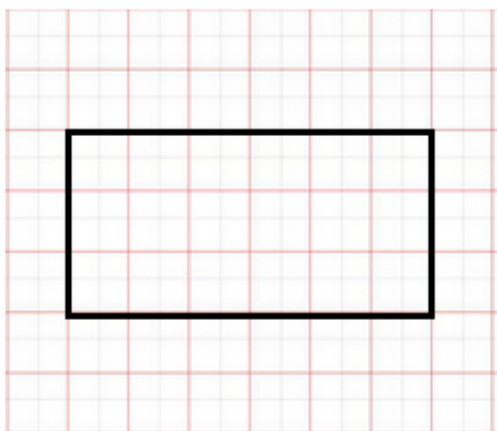
On a squared paper, draw (i) a rectangle, (ii) a triangle, (iii) any irregular closed figure, Find approximate area of each by counting the number of squares complete, more than half and exactly half.

Solution:

(i) A rectangle: This contains 18 complete squares.

If we assume that the area of one complete square is 1 cm^2 ,

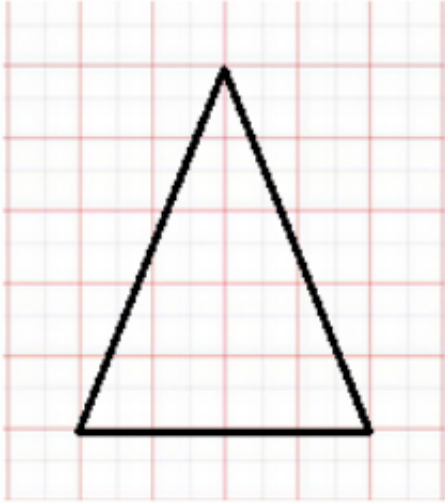
Then the area of this rectangle will be 18 cm^2 .



(ii) A triangle: This triangle contains 4 complete squares, 6 more than half squares and 6 less than half squares.

If we assume that the area of one complete square is 1 cm^2 ,

Then the area of this shape = $(4 + 6 \times 1) = 10 \text{ cm}^2$



(iii) Any irregular figure: This figure consists of 10 complete squares, 1 exactly half square, 7 more than half squares and 6 less than half squares.

If we assume that the area of one complete square is 1 cm^2 ,

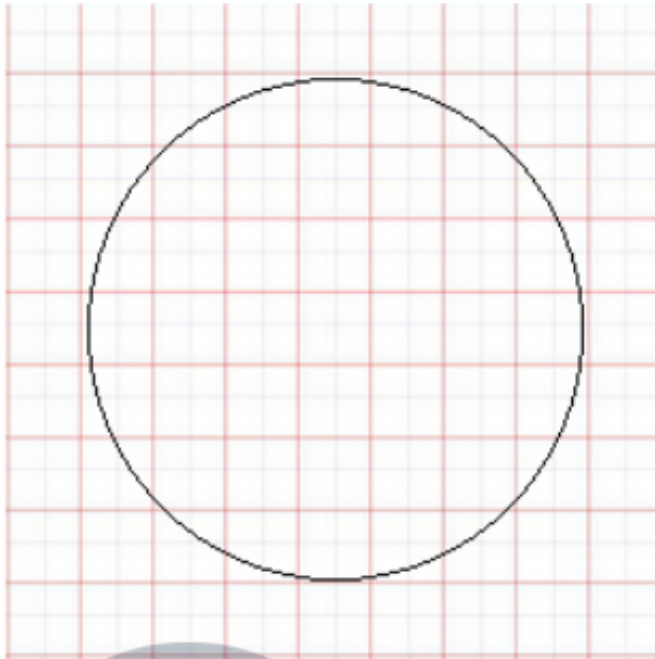
Then the area of this shape = $(10 + 1 \times \frac{1}{2} + 7 \times 1) = 17.5 \text{ cm}^2$



Question: 3

Draw any circle on the graph paper, Count the squares and use them to estimate the area the area of the circular region.

Solution:



This circle on the squared paper consists of 21 complete squares, 15 more than half squares and 8 less than half squares.

Let us assume that the area of 1 square is 1 cm^2 .

If we neglect the less than half squares while approximating more than half square as equal to a complete square, we get:

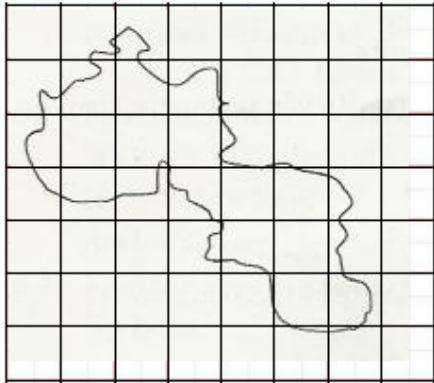
$$\text{Area of this shape} = (21 + 15) = 36 \text{ cm}^2$$

Question: 4

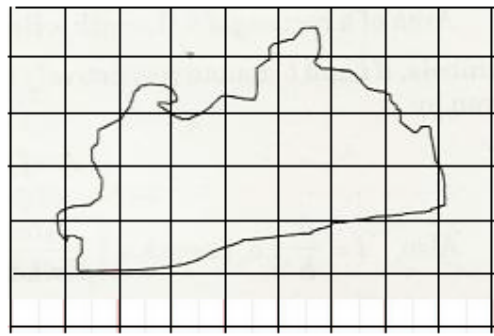
Using tracing paper and centimeter graph paper to compare the areas of the following pairs of figures:



Solution:



(i)



(ii)

Using tracing paper, we traced both the figures on a graph paper.

This figure contains 4 complete squares, 9 more than half squares and 9 less than half squares. Let us assume that the area of one square is 1 cm^2

If we neglect the less than half squares and consider the area of more than half squares as equal to area of complete square, we get:

$$\text{Area of this shape} = (4 + 9) = 13 \text{ cm}^2$$

This figure contains 8 complete squares, 11 more than half squares and 10 less than half squares.

Let us assume that the area of one square is 1 cm^2 .

If we neglect the less than half squares and consider the area of more than half squares as equal to area of complete square, we get:

$$\text{Area of this shape} = (8 + 11) = 19 \text{ cm}^2$$

On comparing the areas of these two shapes, we get that the area of Fig. (ii) is more than that of Fig. (i).