

EXERCISE 3.1

Choose the correct answer from the given four options:

1. Graphically, the pair of equations

$$6x - 3y + 10 = 0$$

$$2x - y + 9 = 0$$

represents two lines which are

(A) Intersecting at exactly one point.

(B) Intersecting at exactly two points.

(C) Coincident

(D) parallel.

Solution:

(D) Parallel

Explanation:

The given equations ARE,

$$6x - 3y + 10 = 0$$

dividing by 3

$$\Rightarrow 2x - y + 10/3 = 0 \dots (i)$$

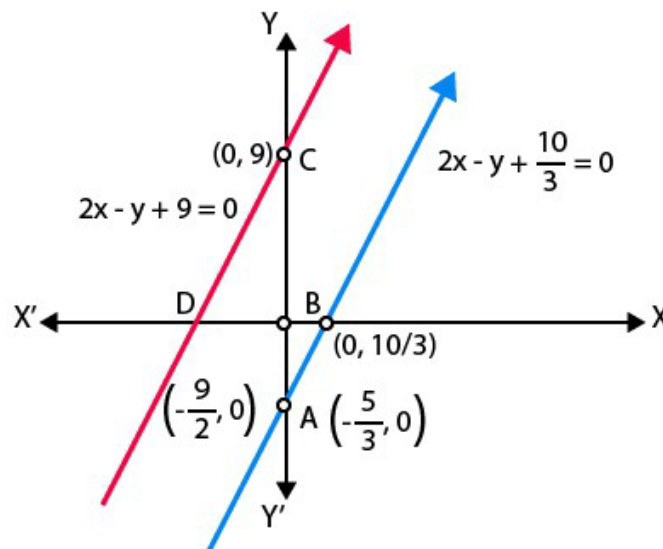
And $2x - y + 9 = 0 \dots (ii)$

Table for $2x - y + 10/3 = 0$,

x	0	-5/3
y	10/3	0

Table for $2x - y + 9 = 0$

x	0	-9/2
y	9	0



Hence, the pair of equations represents two parallel lines.

2. The pair of equations $x + 2y + 5 = 0$ and $-3x - 6y + 1 = 0$ have

- (A) a unique solution
(C) infinitely many solutions

- (B) exactly two solutions
(D) no solution

Solution:

(D) No solution

Explanation:

The equations are:

$$x + 2y + 5 = 0$$

$$-3x - 6y + 1 = 0$$

$$a_1 = 1; b_1 = 2; c_1 = 5$$

$$a_2 = -3; b_2 = -6; c_2 = 1$$

$$a_1/a_2 = -1/3$$

$$b_1/b_2 = -2/6 = -1/3$$

$$c_1/c_2 = 5/1 = 5$$

Here,

$$a_1/a_2 = b_1/b_2 \neq c_1/c_2$$

Therefore, the pair of equation has no solution.

3. If a pair of linear equations is consistent, then the lines will be

- (A) parallel
(C) intersecting or coincident

- (B) always coincident
(D) always intersecting

Solution:

(C) intersecting or coincident

Explanation:

Condition for a pair of linear equations to be consistent are:

Intersecting lines having unique solution,

$$a_1/a_2 \neq b_1/b_2$$

Coincident or dependent

$$a_1/a_2 = b_1/b_2 = c_1/c_2$$

4. The pair of equations $y = 0$ and $y = -7$ has

- (A) one solution
(C) infinitely many solutions

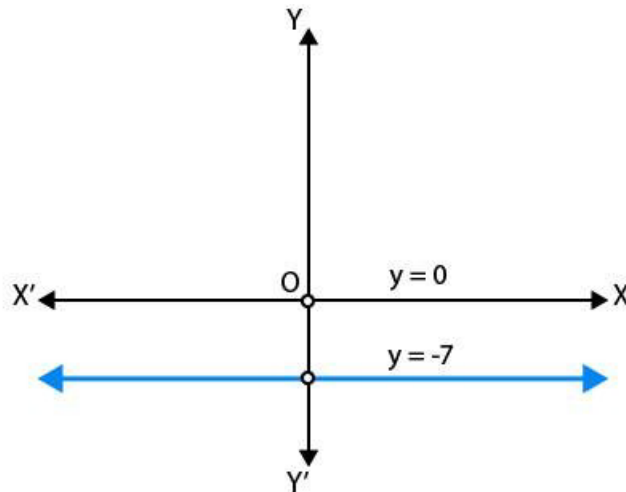
- (B) two solutions
(D) no solution

Solution:

(C) infinitely many solutions

Explanation:

The given pair of equations are $y = 0$ and $y = -7$.



Graphically, both lines are parallel and have no solution

5. The pair of equations $x = a$ and $y = b$ graphically represents lines which are

- (A) parallel (B) intersecting at (b, a)
 (C) coincident (D) intersecting at (a, b)

Solution:

(D) intersecting at (a, b)

Explanation:

Graphically in every condition,

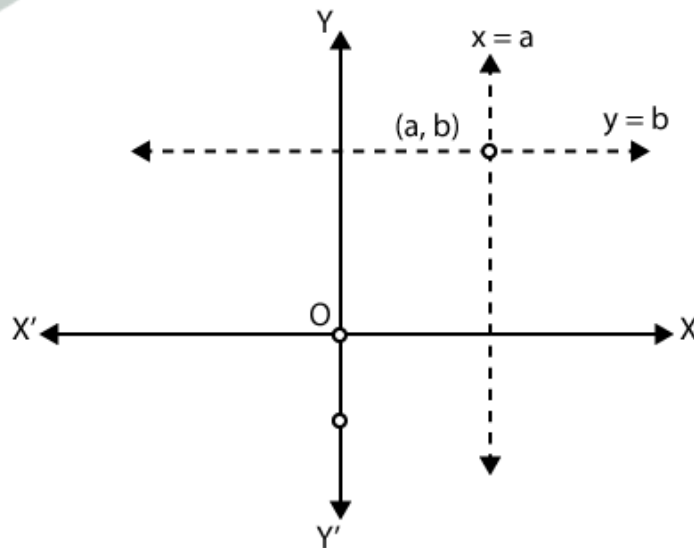
$a, b >> 0$

$a, b < 0$

$a > 0, b < 0$

$a < 0, b > 0$ but $a = b \neq 0$.

The pair of equations $x = a$ and $y = b$ graphically represents lines which are intersecting at (a, b) .



Hence, the cases two lines intersect at (a, b) .