

# Activity 71



## OBJECTIVE

To draw regular polygons, using circles

## MATERIAL REQUIRED

Coloured paper, scissors, geometry box.

## METHOD OF CONSTRUCTION

1. Draw three circles of the same radii on a coloured paper.
2. Take one of the circles and draw three angles each of  $120^\circ (= \frac{360^\circ}{3})$  at the centre as shown in Fig. 1.
3. Take second circle and draw four angles each of  $90^\circ (= \frac{360^\circ}{4})$  at the centre as shown in Fig. 2.
4. On the third circle, draw five angles each of  $72^\circ (= \frac{360^\circ}{5})$  at the centre as shown in Fig. 3.

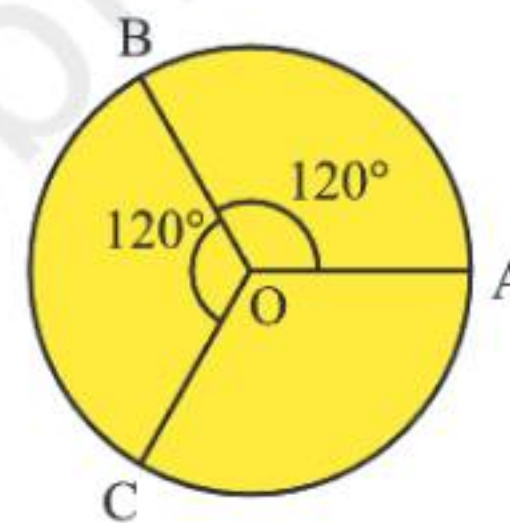


Fig. 1

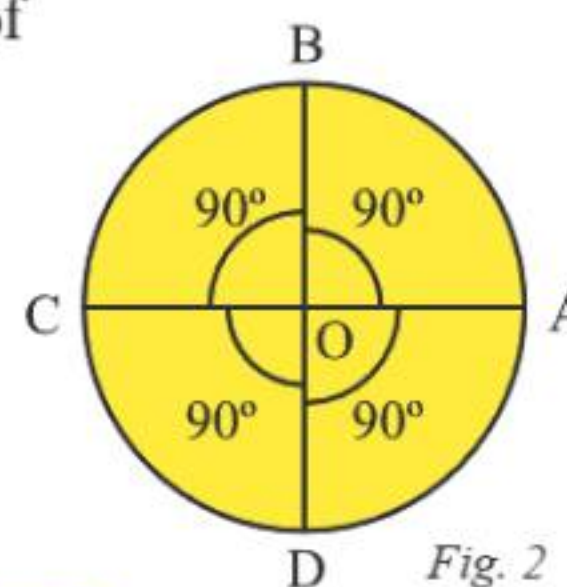


Fig. 2

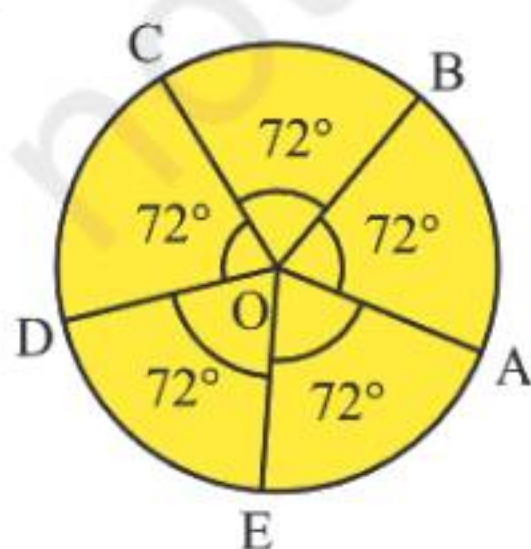


Fig. 3

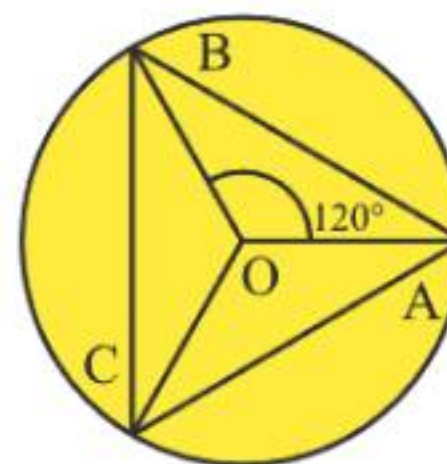


Fig. 4

## DEMONSTRATION

1. In Fig. 1, join AB, BC and CA as shown in Fig. 4. ABC is a regular polygon of sides three (an equilateral triangle).
2. In Fig. 2, join AB, BC, CD and DA as shown in Fig. 5. ABCD is a regular polygon of sides four (a square).
3. In Fig. 3, join AB, BC, CD, DE and EA as shown in Fig. 6.

ABCD is a regular polygon of sides five.

Similarly, regular polygons of sides six, eight, nine and ten sides can be drawn.

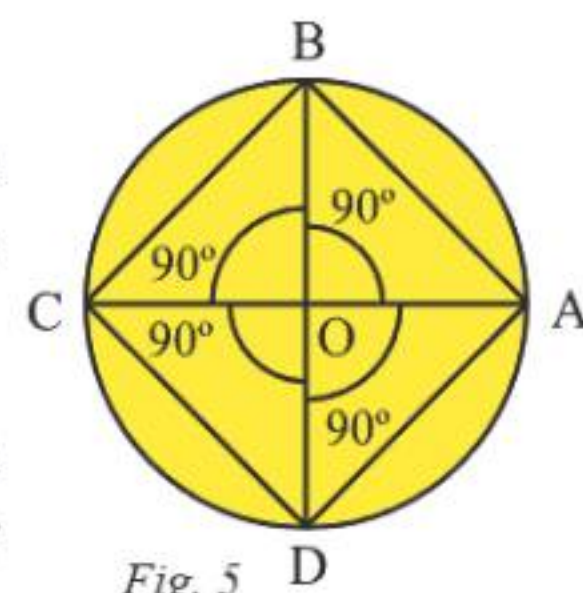


Fig. 5

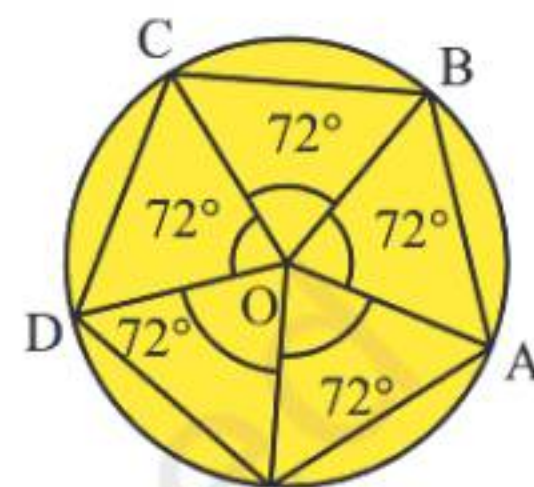


Fig. 6

## OBSERVATION

On actual measurement:

| S. No.   | Name of sides                 | Length of sides (cm) |
|----------|-------------------------------|----------------------|
| Figure 4 | Equilateral $\Delta$          | —                    |
|          | AB = ____, $\angle A$ = ____. | —                    |
|          | BC = ____, $\angle B$ = ____. | —                    |
|          | AC = ____, $\angle C$ = ____. | —                    |
| Figure 5 | AB = ____, $\angle A$ = ____. | —                    |
|          | BC = ____, $\angle B$ = ____. | —                    |
|          | CD = ____, $\angle C$ = ____. | —                    |
|          | AD = ____, $\angle D$ = ____. | —                    |
| Figure 6 | AB = ____, $\angle A$ = ____. | —                    |
|          | BC = ____, $\angle B$ = ____. | —                    |
|          | CD = ____, $\angle C$ = ____. | —                    |
|          | DE = ____, $\angle D$ = ____. | —                    |
|          | AE = ____, $\angle E$ = ____. | —                    |

In Fig. 4 all the three sides are \_\_\_\_ and all the three angles are \_\_\_\_.  
So, ABC is a regular polygon of sides \_\_\_\_.

In Fig. 5, all the four sides are \_\_\_\_\_ and all the four angles are \_\_\_\_\_.

So, ABCD is a regular polygon of sides \_\_\_\_\_.

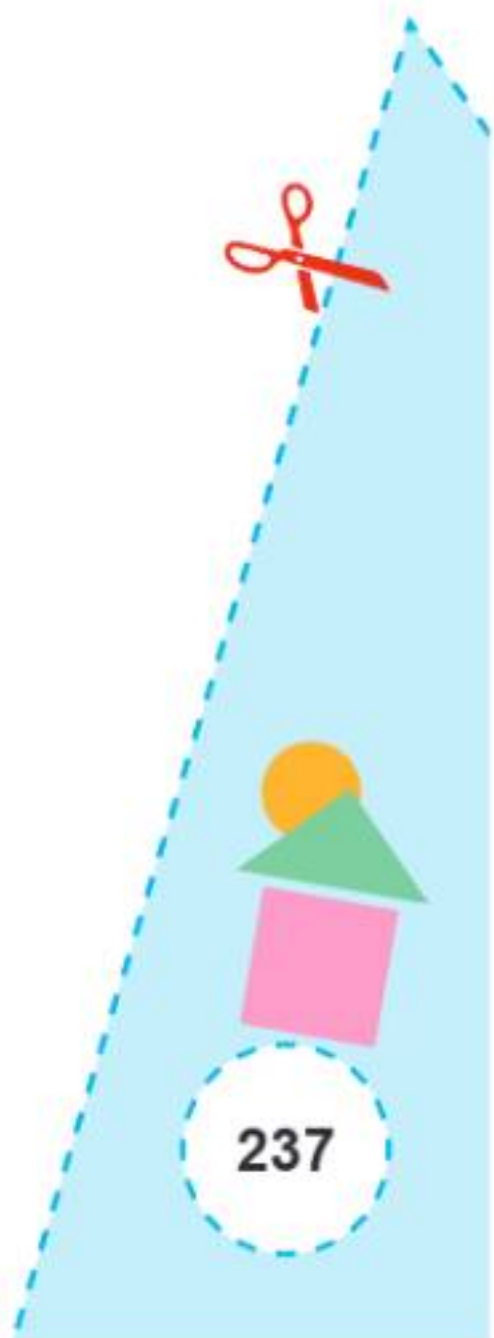
In Fig. 6, all the five sides are \_\_\_\_\_ and all the five angles are \_\_\_\_\_.

So, ABCDE is a polygon of sides \_\_\_\_\_.

### APPLICATION

This activity is useful in explaining the meaning of a regular polygon and how to draw a regular polygon.

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# Activity 72



## OBJECTIVE

To make a kite by paper folding and cutting

## MATERIAL REQUIRED

Thick paper, cardboard, pen/pencil, ruler, scissors, adhesive.

## METHOD OF CONSTRUCTION

1. Take a rectangular thick white paper.
2. Fold it once as shown in Fig. 1.

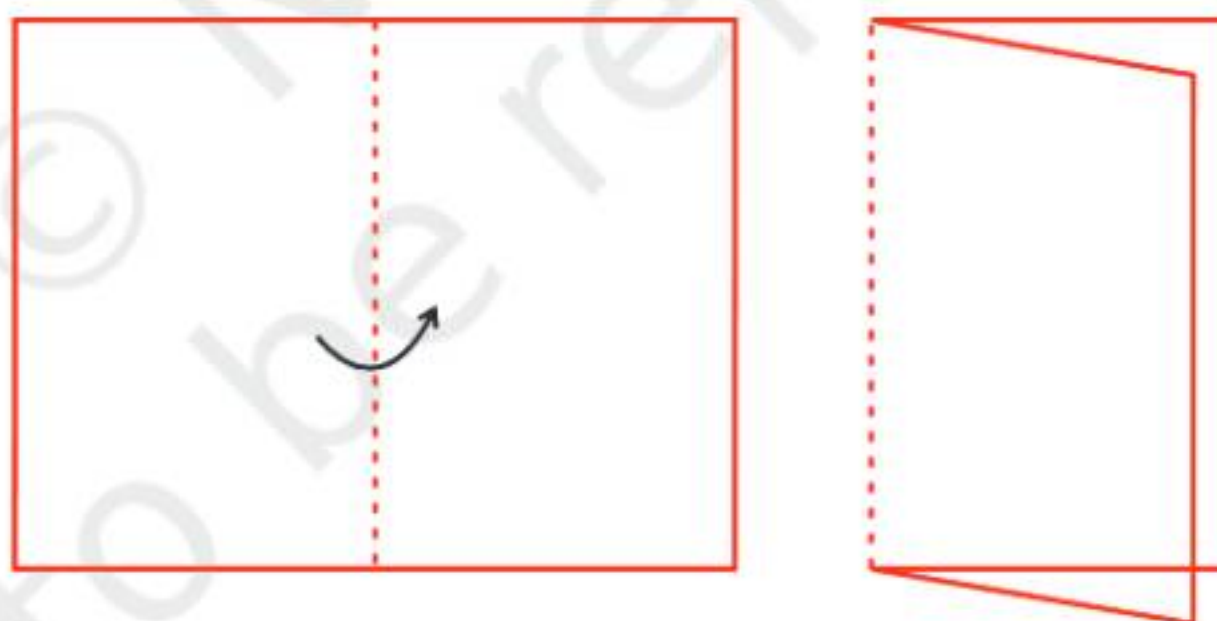


Fig. 1

3. Draw two line segments of different lengths as shown in Fig. 2.

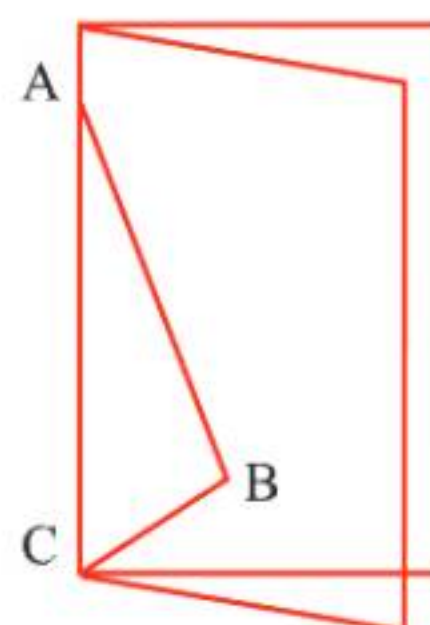
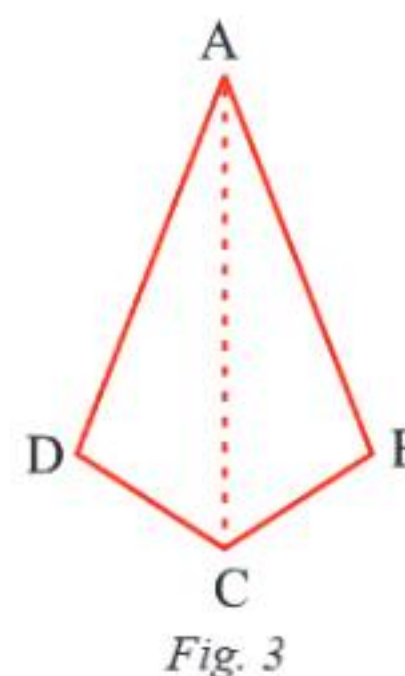


Fig. 2

- Cut along AB and BC and unfold it to get a figure as shown in Fig. 3. Paste the cut out on a cardboard.



## DEMONSTRATION

- AB is equal to AD as AB covers AD exactly in Fig. 2.
- BC is equal to DC as BC covers DC exactly in Fig. 2.
- So, ABCD is a kite.

## OBSERVATION

On actual measurement:

AB = \_\_\_\_\_. AD = \_\_\_\_\_.

BC = \_\_\_\_\_. DC = \_\_\_\_\_.

Measure of  $\angle DAC =$  \_\_\_\_\_.

$\angle BAC =$  \_\_\_\_\_.

$\angle DCA =$  \_\_\_\_\_,  $\angle BCA =$  \_\_\_\_\_.

$\angle DAC = \angle$  \_\_\_\_\_.

$\angle DCA = \angle$  \_\_\_\_\_.

So, ABCD is a \_\_\_\_\_.

## APPLICATION

This activity will help in understanding the shape of a kite and all its properties.

# Activity 73



## OBJECTIVE

To verify that the sum of four angles of a quadrilateral is  $360^\circ$

## MATERIAL REQUIRED

Cardboard, coloured glaze paper, colours, ruler, pencil, drawing sheet, scissors, tracing paper.

## METHOD OF CONSTRUCTION

1. Take a cardboard of convenient size and cover it with a light coloured glaze paper.
2. Take a drawing sheet and draw a quadrilateral on it.
3. Cut it out and paste it on the cardboard. Name it as ABCD (Fig. 1).

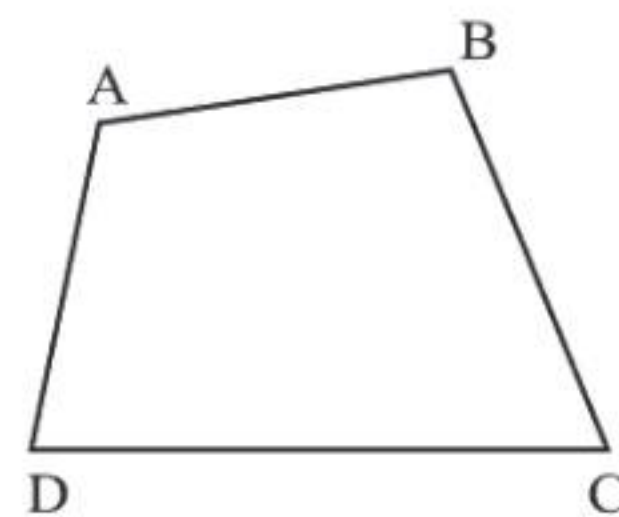


Fig. 1

Make a trace copy of the quadrilateral ABCD.

4. Colour the four angles with different colours in both the quadrilaterals (Fig. 2).

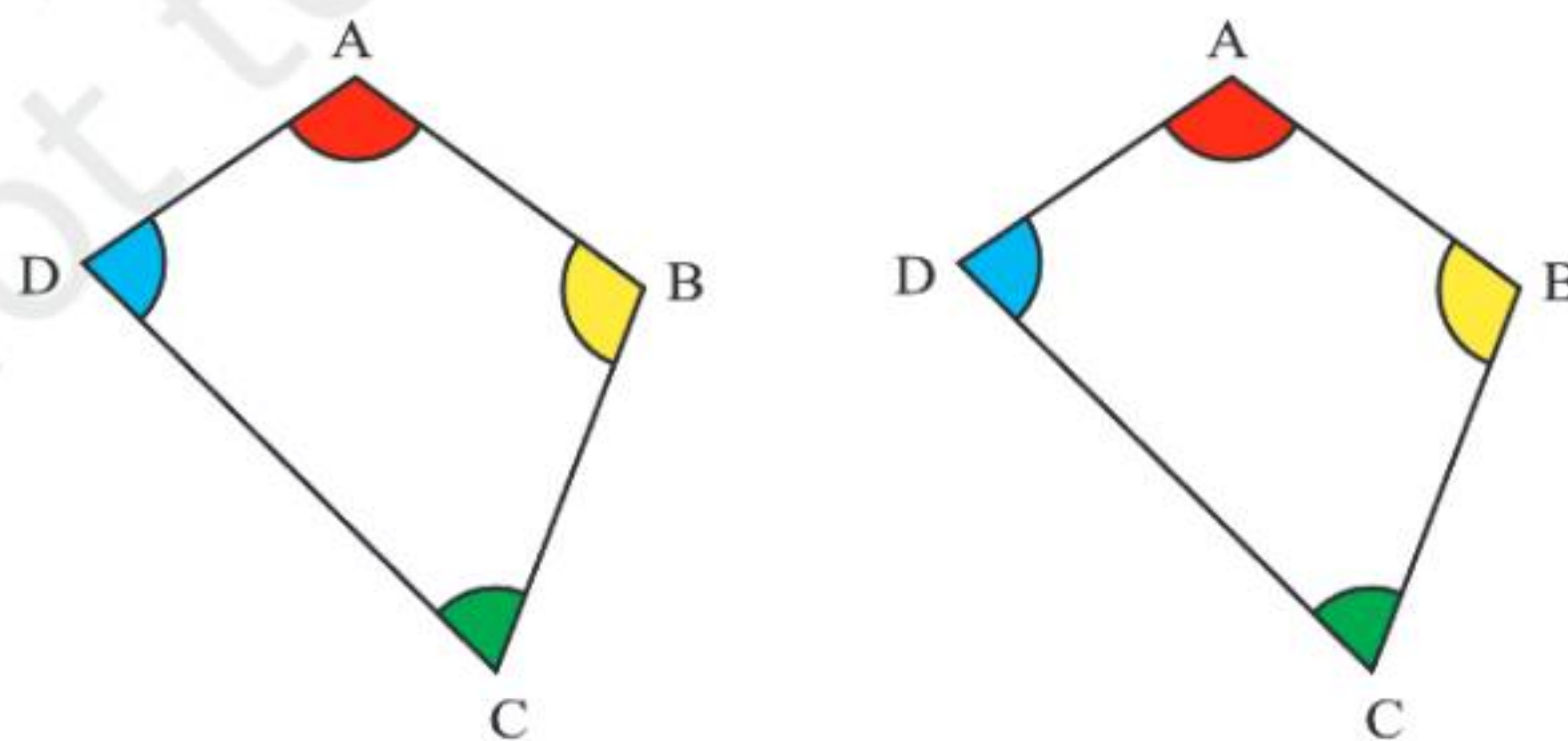


Fig. 2

5. Cut out the angles A, B, C and D from the trace copy and arrange them on the cardboard at a point P so that there is no gap between adjacent angles as shown in Fig. 3.

## DEMONSTRATION

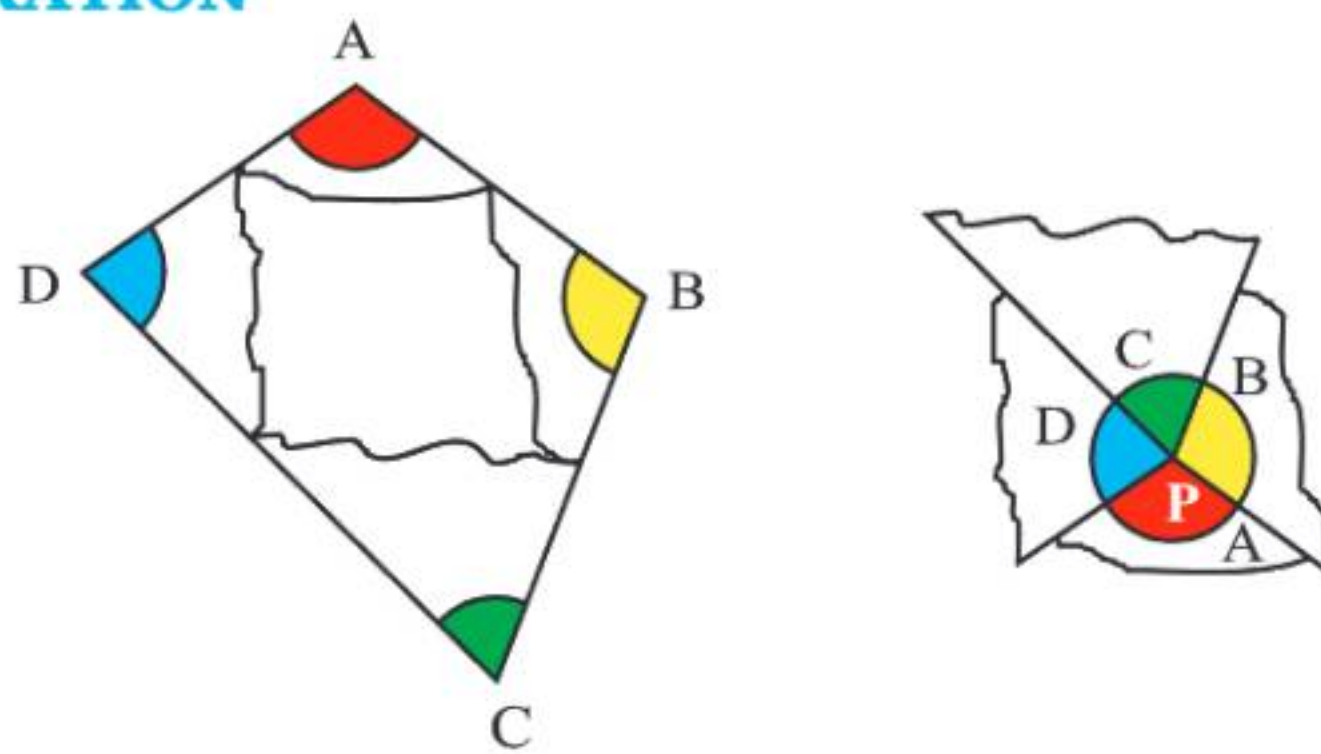


Fig. 3

1. The four angles A, B, C and D make a complete angle at the point P.
2. Sum of angles at point P is  $360^\circ$ .

So,  $\angle A + \angle B + \angle C + \angle D = 360^\circ$ .

## OBSERVATION

On actual measurement:

| Angle                                       | Measure |
|---------------------------------------------|---------|
| $\angle A$                                  | —       |
| $\angle B$                                  | —       |
| $\angle C$                                  | —       |
| $\angle D$                                  | —       |
| $\angle A + \angle B + \angle C + \angle D$ | —       |

## APPLICATION

This activity can be used in solving many geometrical problems.

# Activity 74



## OBJECTIVE

To verify that sum of exterior angles of a triangle and quadrilateral taken in order is  $360^\circ$  or four right angles

## MATERIAL REQUIRED

Cardboard, white drawing sheet, colours, pencil, ruler, scissors, tracing paper.

## METHOD OF CONSTRUCTION

### (A) Triangle

1. Take a cardboard of convenient size and paste a coloured glaze paper on it.
2. Draw a triangle ABC on a drawing sheet and produce its sides in an order as shown in Fig.1.
3. Name the exterior angles as 1, 2 and 3 and colour them as shown above in Fig.1.
4. Make a trace copy of the above figure and colour the exterior angles with the same colours as in Fig. 1.
5. Cut out the exterior angles neatly.

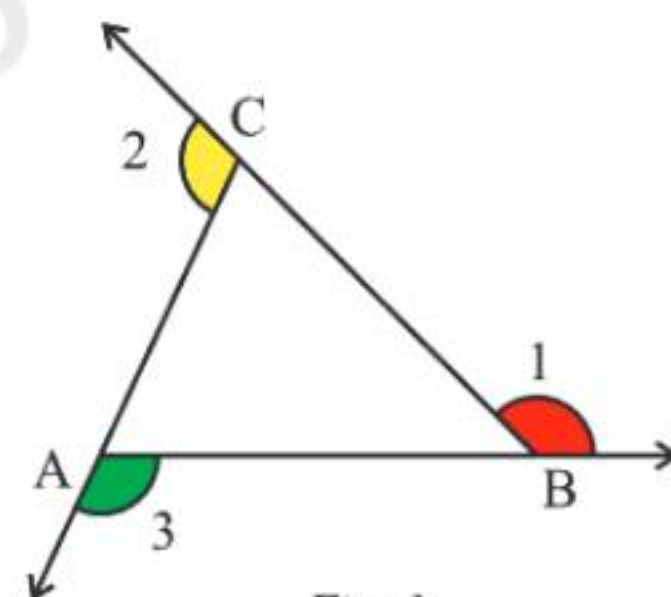


Fig. 1

### (B) Quadrilateral

1. Draw a quadrilateral ABCD on a drawing sheet and produce its sides in an order as shown in Fig. 2.

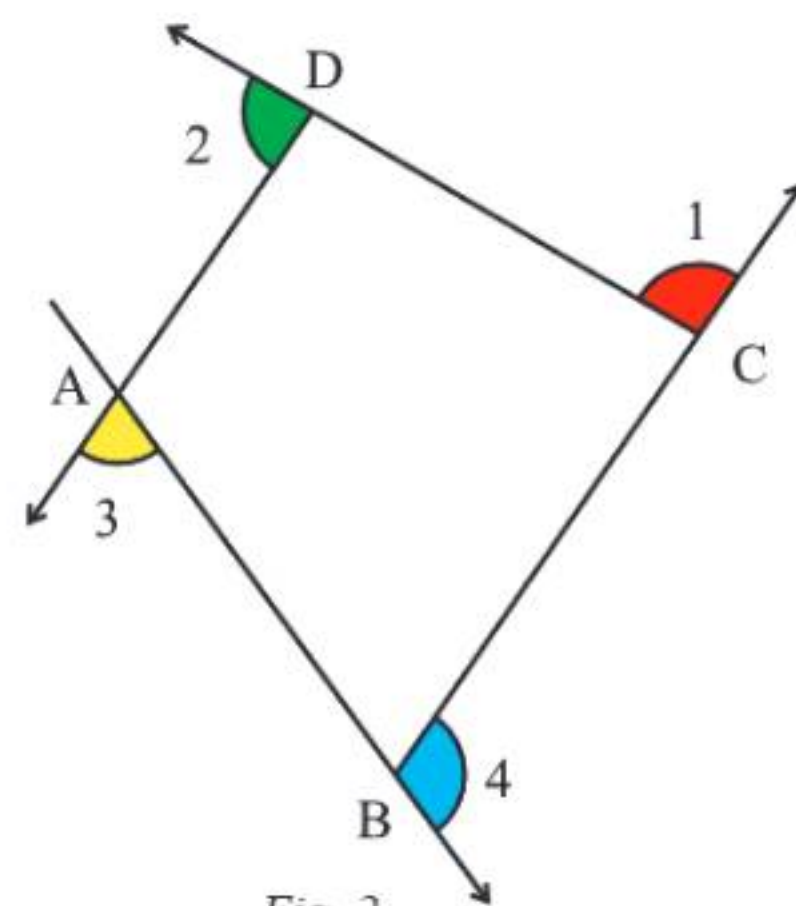


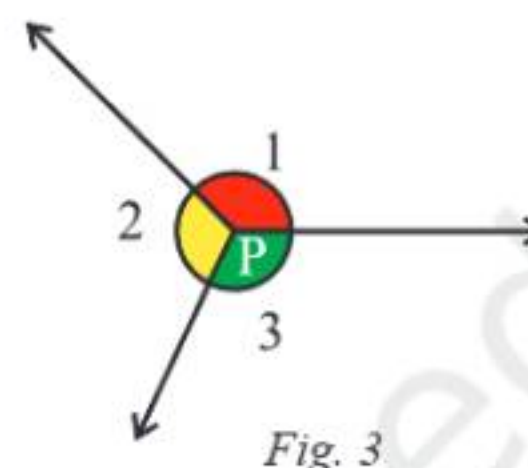
Fig. 2

- Name the exterior angles as 1, 2, 3 and 4 and colour them as shown in Fig. 2.
- Make the trace copy of the above figure and colour the exterior angles with the same colours as in Fig. 2.
- Cut out the exterior angles neatly.

## DEMONSTRATION

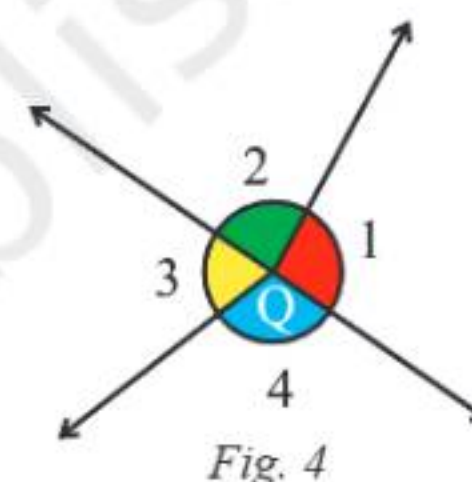
### (A)

- Place the cutouts of the exterior angles of Fig. 1 adjacent to each other at a point P without having any gap between any two consecutive angles as shown in Fig. 3.



### (B)

- Place the cutouts of the exterior angles of Fig. 2 adjacent to each other at a point Q without having any gap between any two consecutive angles as shown in Fig. 4.
- The exterior angles in Fig. 3 as well as in Fig. 4 make a complete angle at the points P and Q respectively.
- The sum of angles at a point is  $360^\circ$ .



So,  $\angle 1 + \angle 2 + \angle 3 = 360^\circ$ . for (A)

and  $\angle 1 + \angle 2 + \angle 3 + \angle 4 = 360^\circ$  for (B)

## OBSERVATION

On actual measurement:

### (A) Triangle

| Angle                              | Measure |
|------------------------------------|---------|
| $\angle 1$                         | —       |
| $\angle 2$                         | —       |
| $\angle 3$                         | —       |
| $\angle 1 + \angle 2 + \angle 3 =$ | —.      |

**(B) Quadrilateral**

| Angle                                         | Measure |
|-----------------------------------------------|---------|
| $\angle 1$                                    | —       |
| $\angle 2$                                    | —       |
| $\angle 3$                                    | —       |
| $\angle 4$                                    | —       |
| $\angle 1 + \angle 2 + \angle 3 + \angle 4 =$ | —.      |

**APPLICATION**

This activity can be used to find the sum of exterior angles produced in order, of a pentagon, a hexagon or in general any polygon.